

Covariability Between the Surface Wind Divergence and Vorticity in the Pacific Ocean

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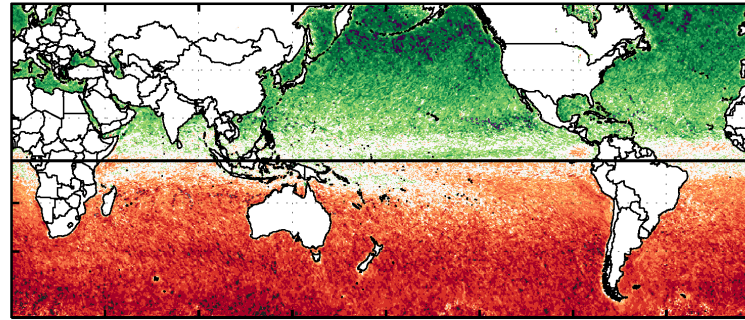
Divergence and Vorticity Cross-Correlation

- Highly correlated divergence and vorticity over most of the global ocean

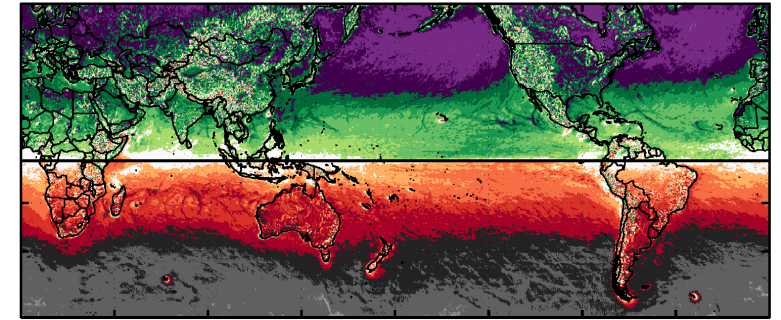
- Why are they correlated?

Surface Divergence/Vorticity Cross-Correlation
Nov 2007–Oct 2009

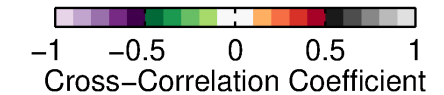
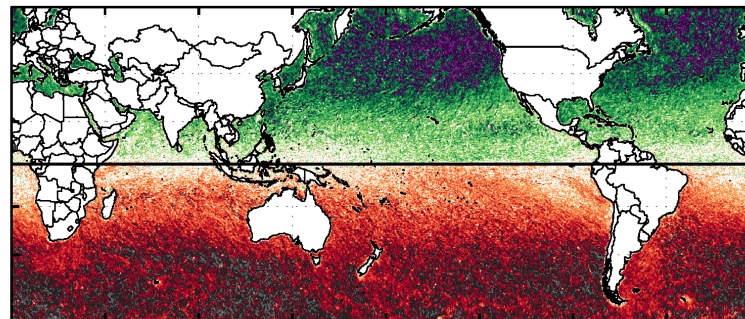
a) QuikSCAT



c) ERA5 (hourly)



b) ASCAT-A



Divergence and Vorticity Correlation

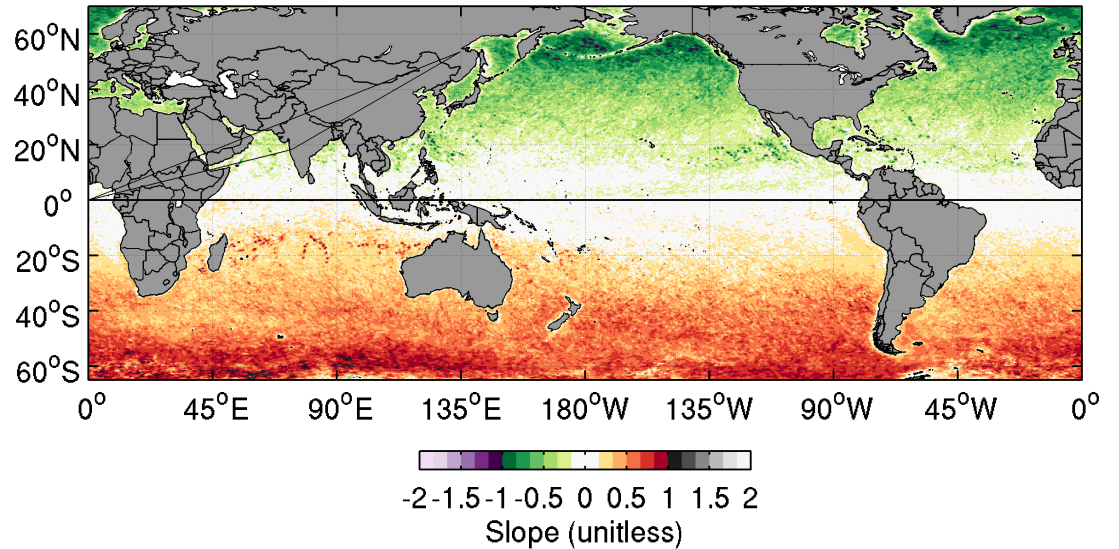
- Ekman dynamics predicts a correlation between surface divergence and vorticity

$$-\frac{f}{a}(\vec{\nabla} \cdot \vec{V}) = \hat{k} \cdot (\vec{\nabla} \times \vec{V})$$

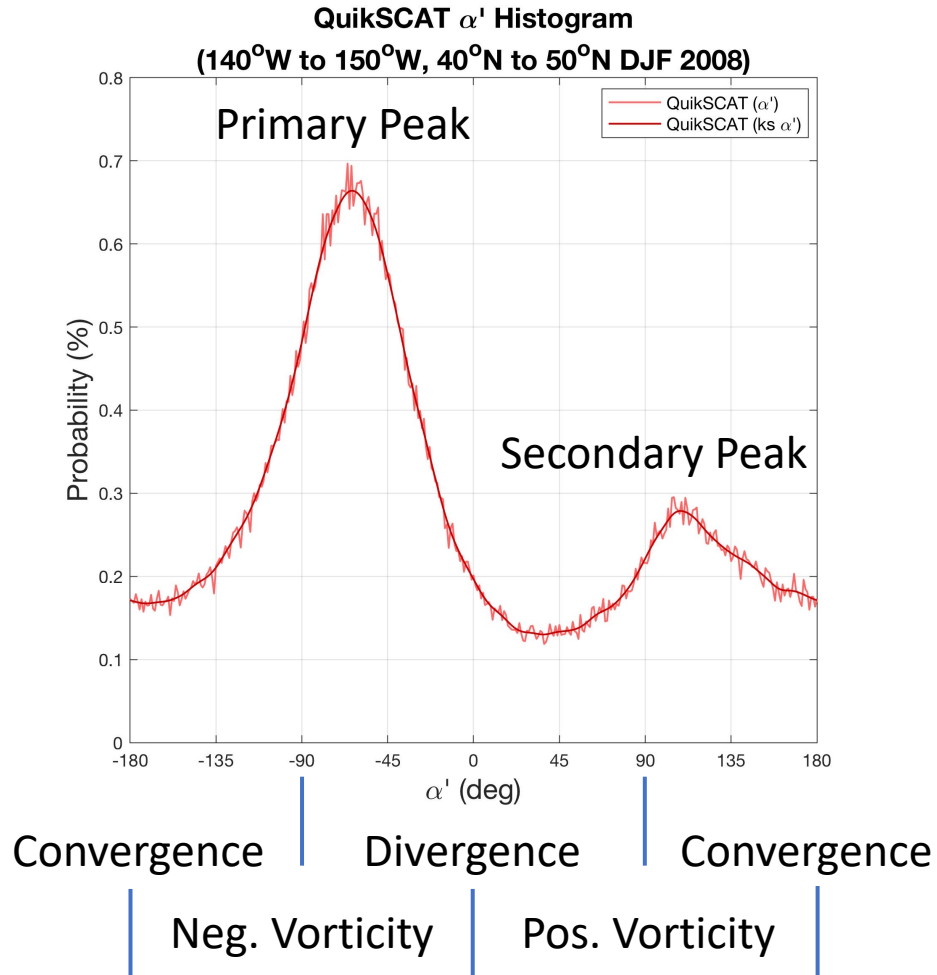
$$-f\hat{k} \times \vec{V} - \frac{1}{\rho_o} \vec{\nabla} p - a\vec{V} = 0$$

$$a = \frac{C_d |\vec{V}|}{h}$$

Slope Coefficient Between Divergence and Vorticity (QSCATv4.1)

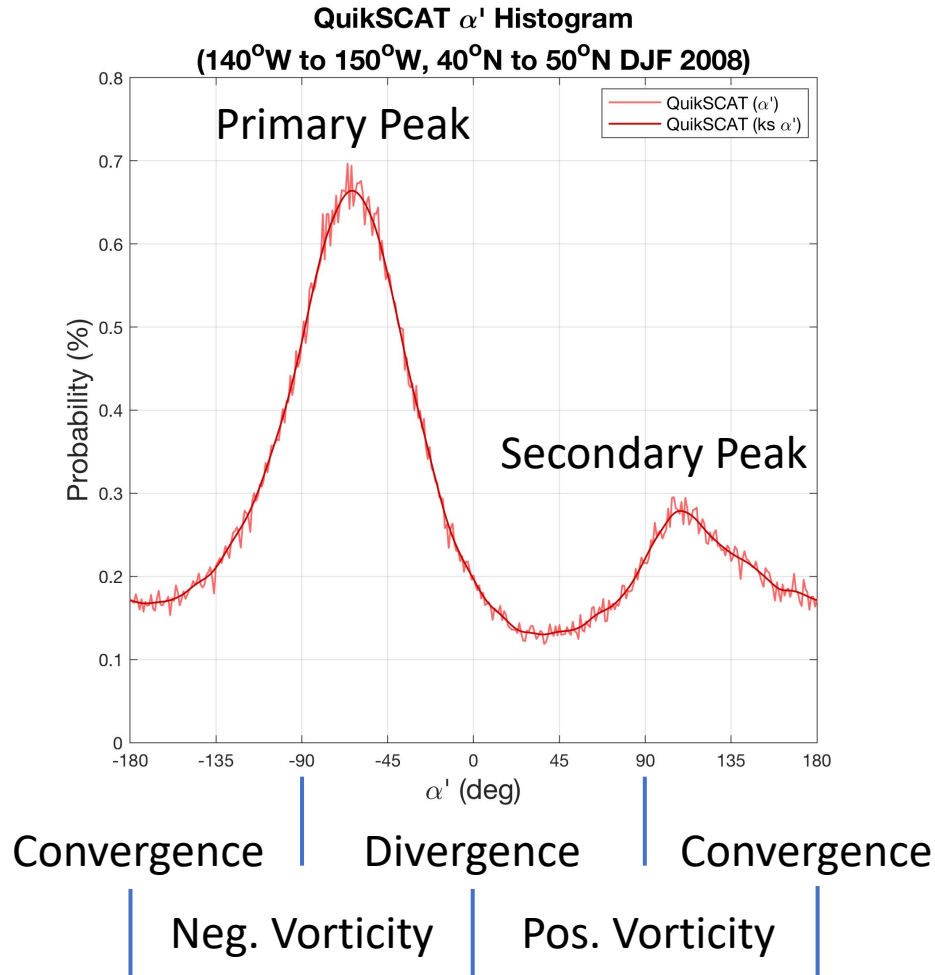


QuikSCAT Univariate α' PDF



$$\bullet \alpha' = \tan^{-1} \left(\frac{\hat{k} \cdot (\vec{\nabla} \times \vec{V})}{(\vec{\nabla} \cdot \vec{V})} \right) = \tan^{-1} \left(\frac{-f}{a} \right)$$

QuikSCAT Univariate α' PDF



- $\alpha' = \tan^{-1} \left(\frac{\hat{k} \cdot (\vec{\nabla} \times \vec{V})}{(\vec{\nabla} \cdot \vec{V})} \right) = \tan^{-1} \left(\frac{-f}{a} \right)$

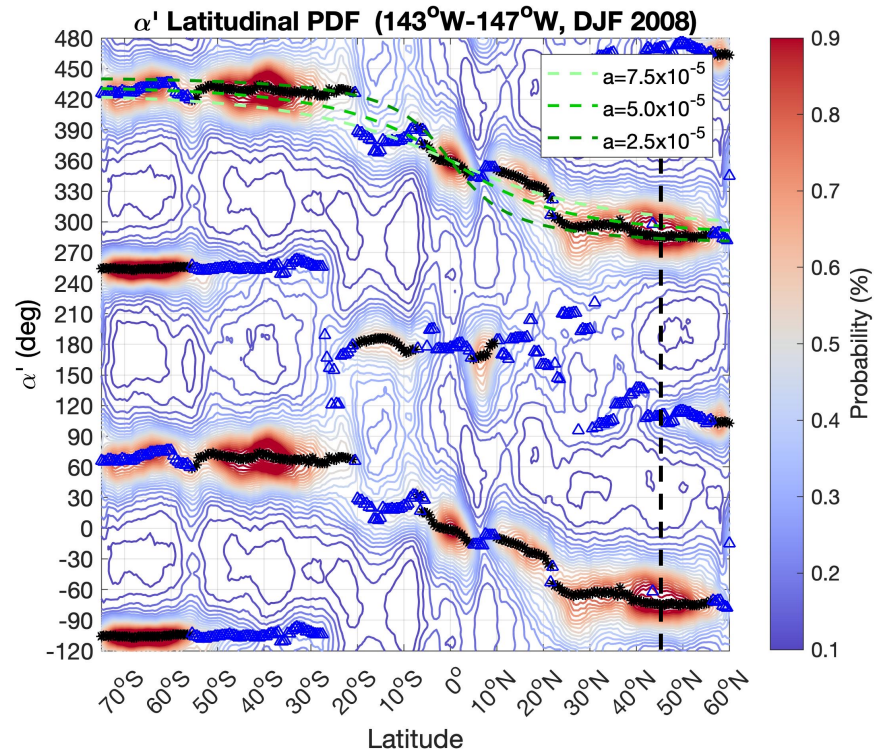
- Primary Peak (Northern Hemisphere)

- Positive Divergence with Negative Vorticity (anti-cyclonic)
- Ekman Balance requires:
 $-90^\circ \leq \alpha' < 0^\circ$
- $\alpha' = -64^\circ$

- Secondary Peak (Northern Hemisphere)

- Convergence with Positive Vorticity (cyclonic)
- $\alpha' = 108^\circ$

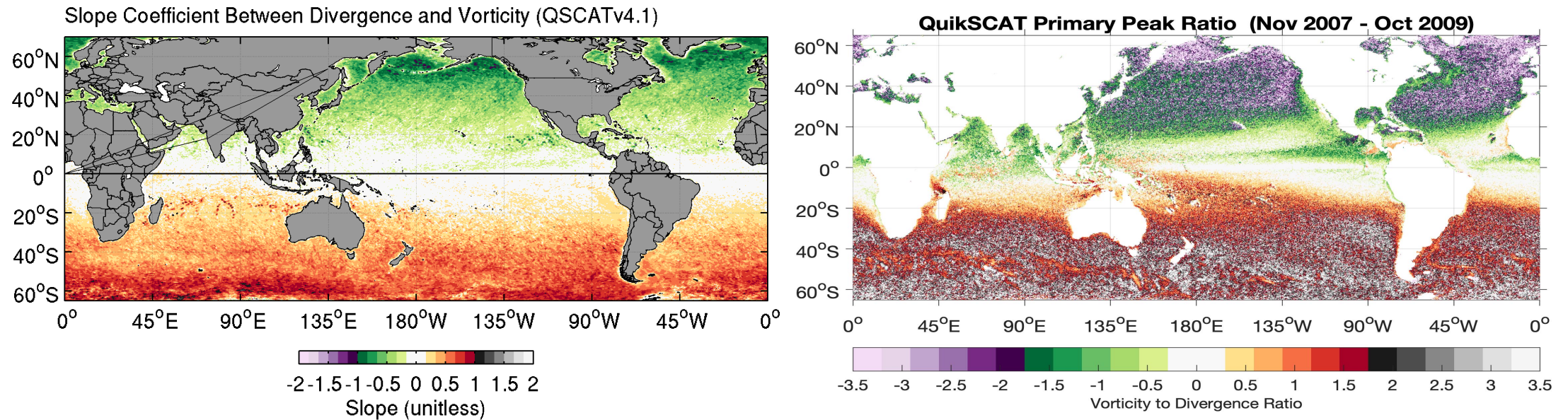
ERA5 Latitudinal PDF Variation



$$\alpha' = \tan^{-1} \left(\frac{\hat{k} \cdot (\vec{\nabla} \times \vec{V})}{(\vec{\nabla} \cdot \vec{V})} \right) = \tan^{-1} \left(\frac{-f}{a} \right)$$

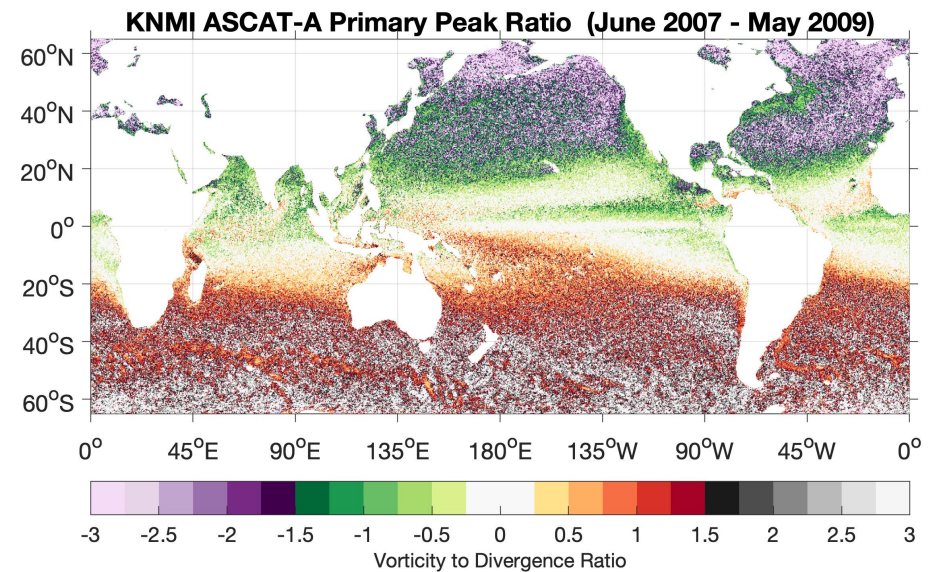
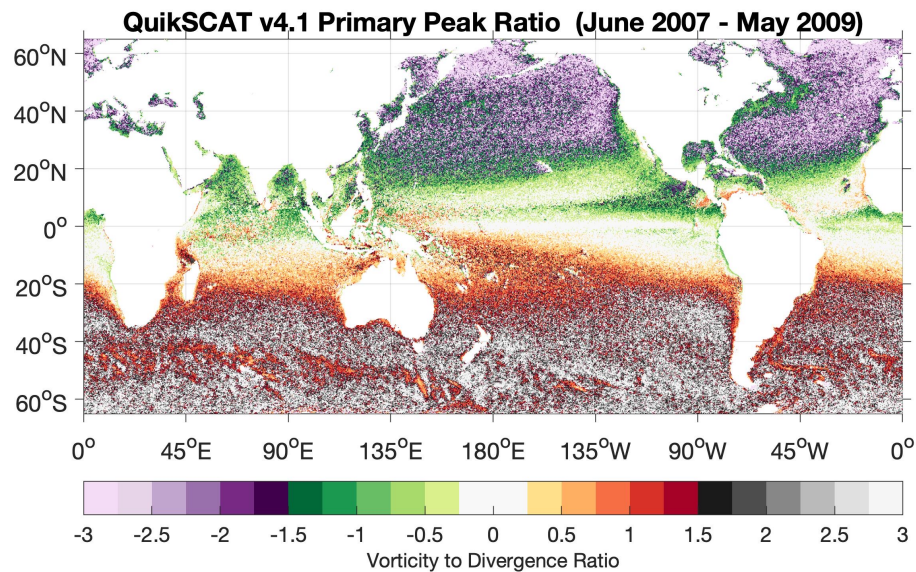
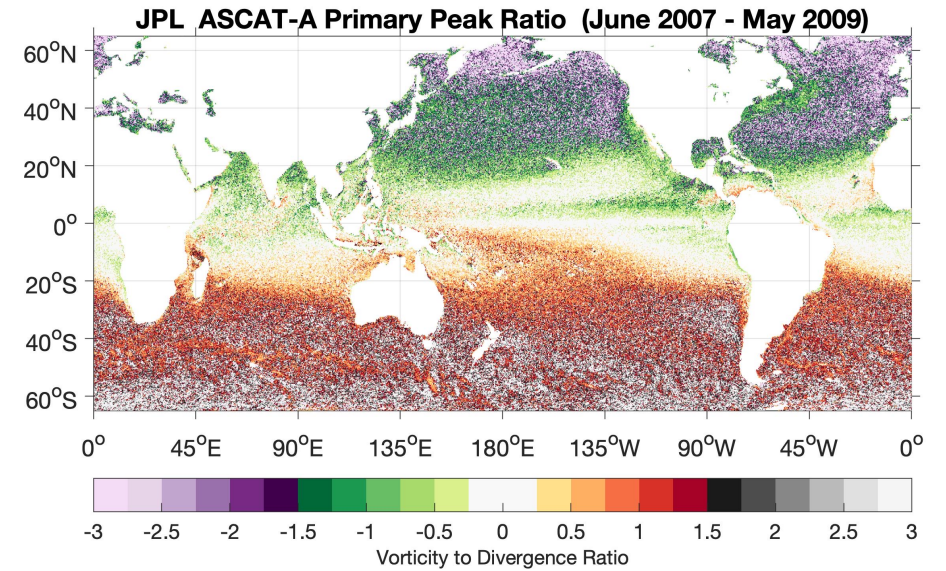
- Primary Peak follows the expected inverse tangent function
- Secondary Peak follows a step function

Divergence and Vorticity Cross-Correlation

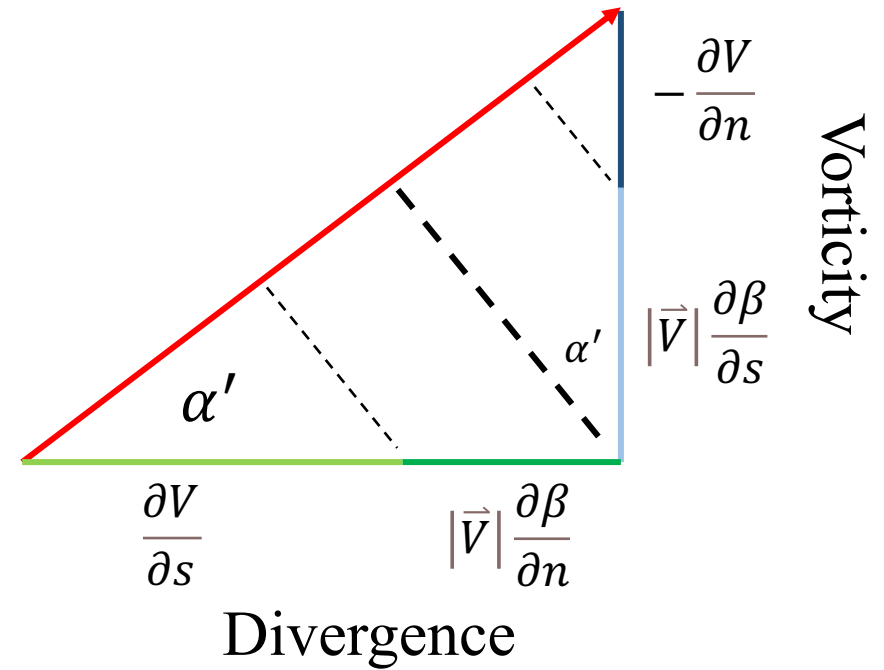
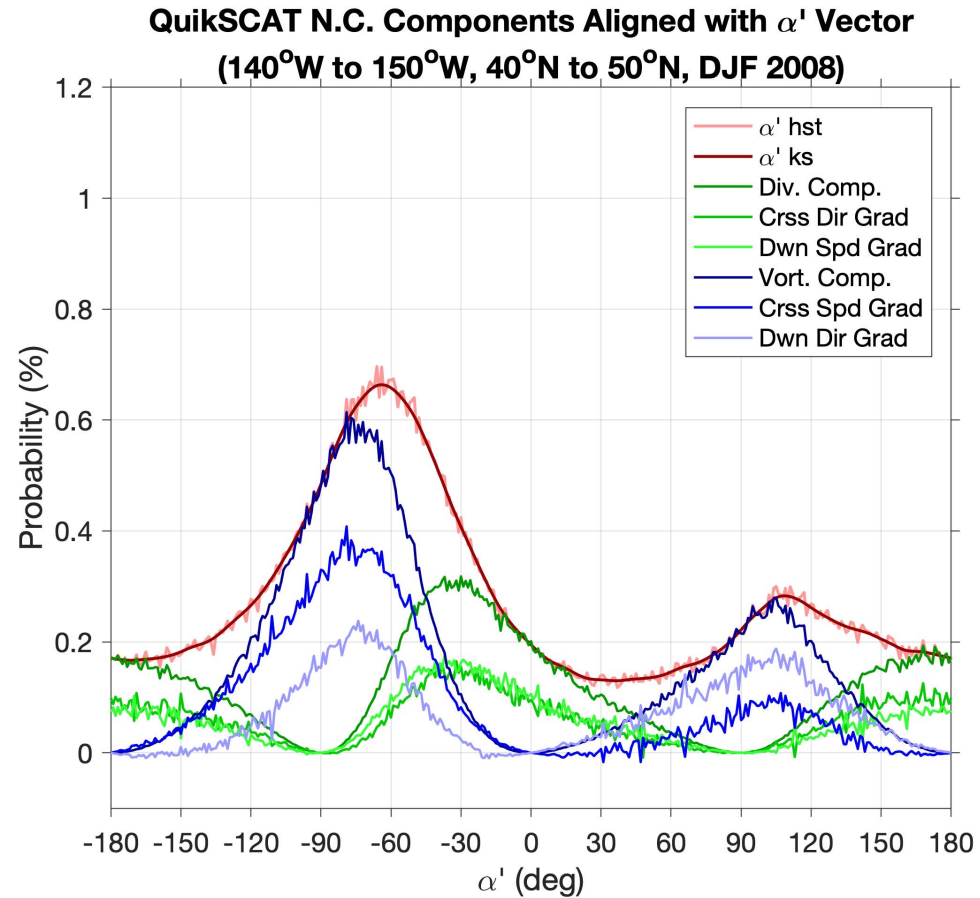


$$\tan(\alpha') = \frac{-f}{a} = \frac{\hat{k} \cdot (\vec{V} \times \vec{V})}{(\vec{V} \cdot \vec{V})}$$

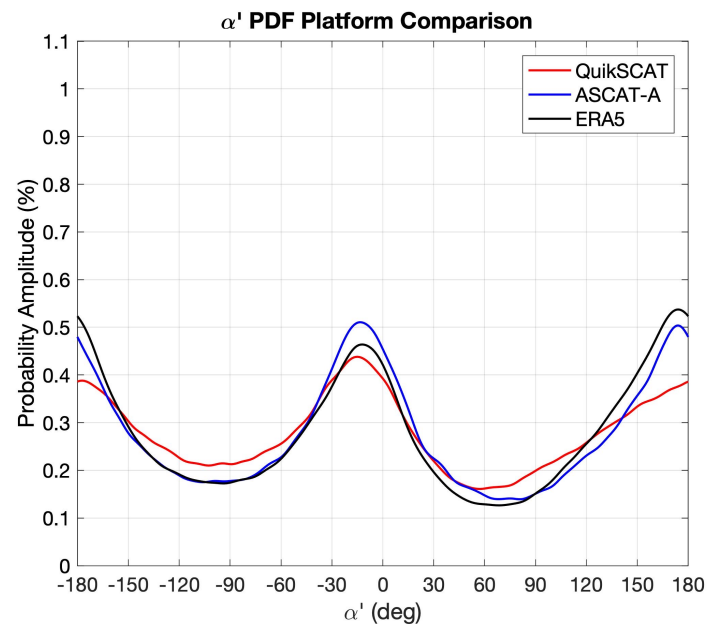
Divergence and Vorticity Cross-Correlation



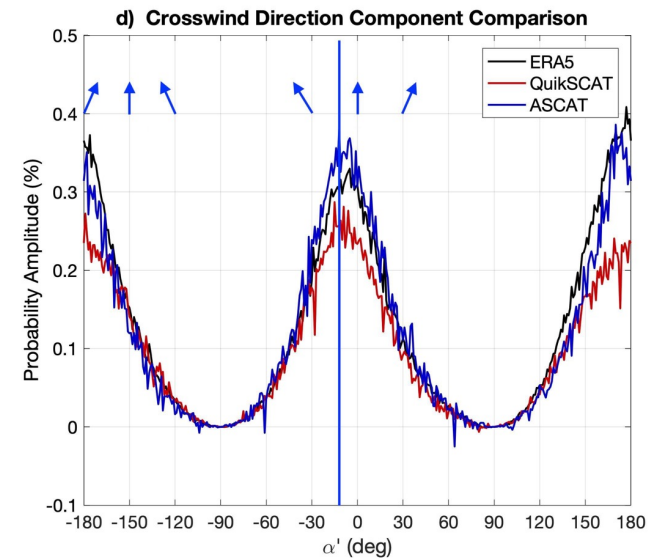
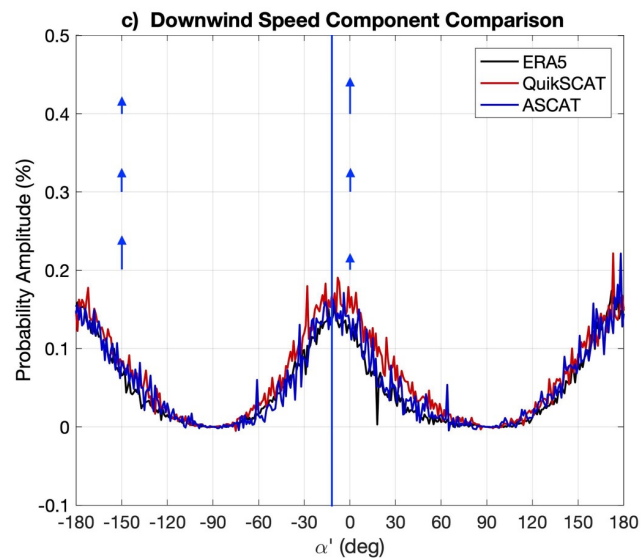
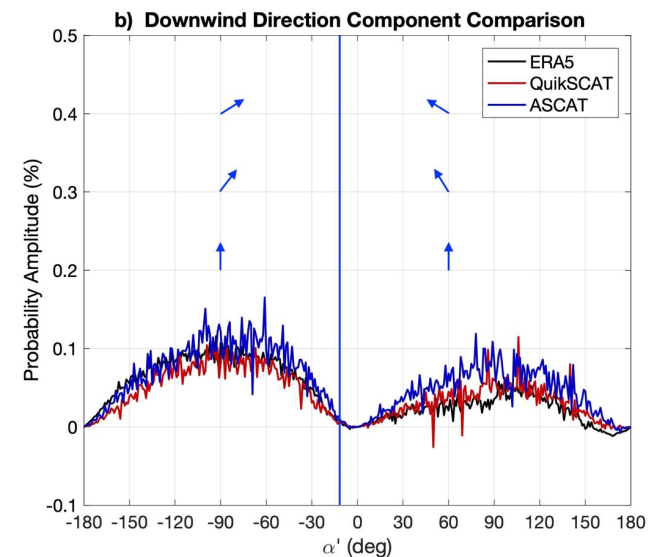
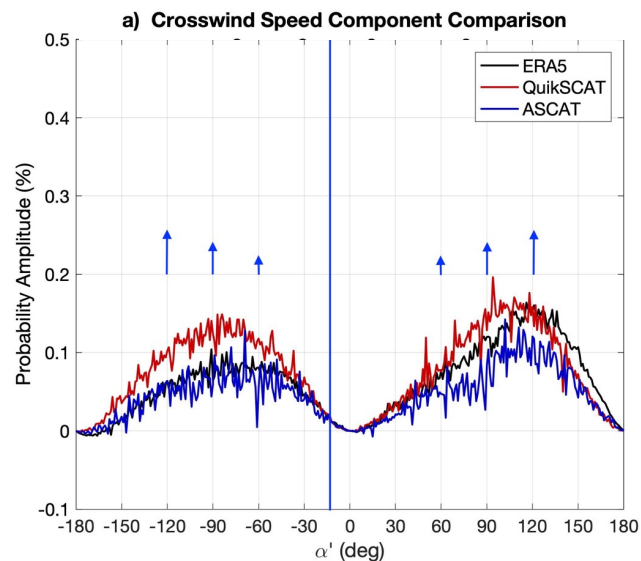
Natural Coordinate Composition



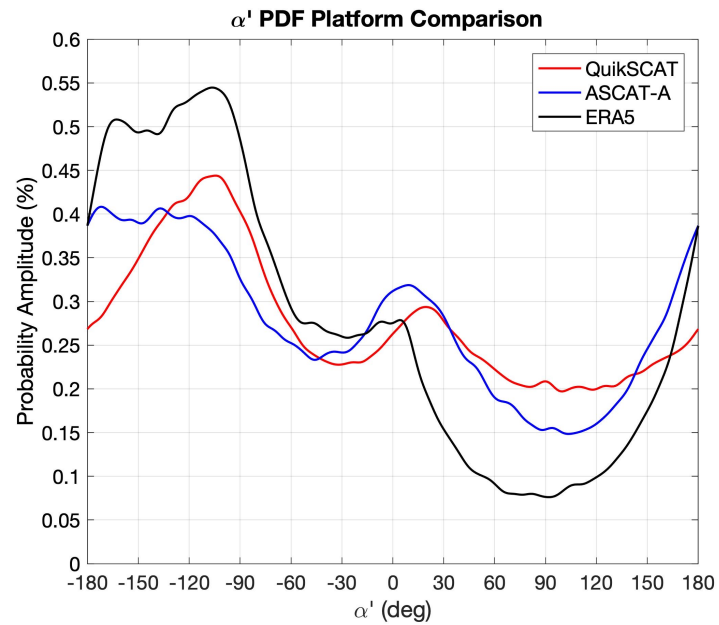
DJF 2008
 Lat: 5°N to 15°N
 Long: 140°E to 150°E



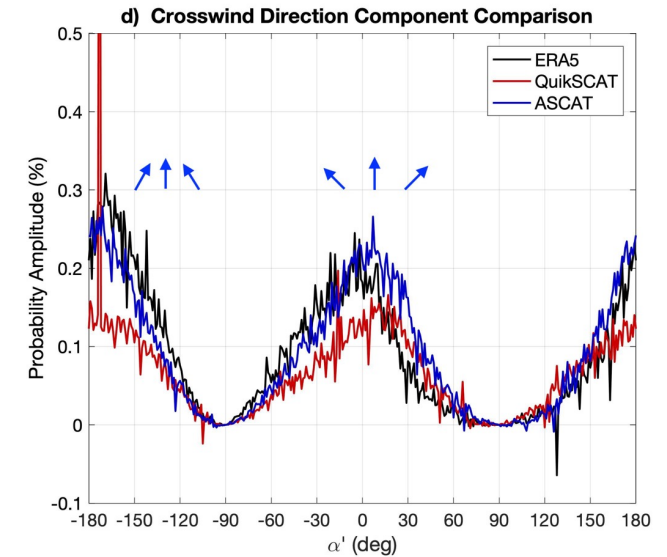
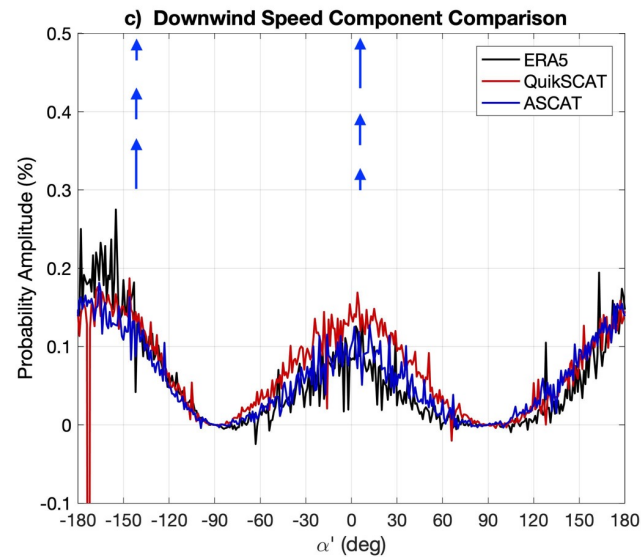
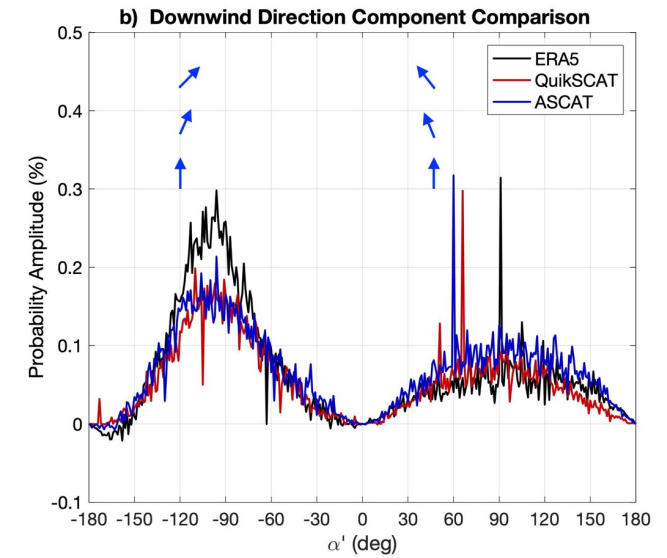
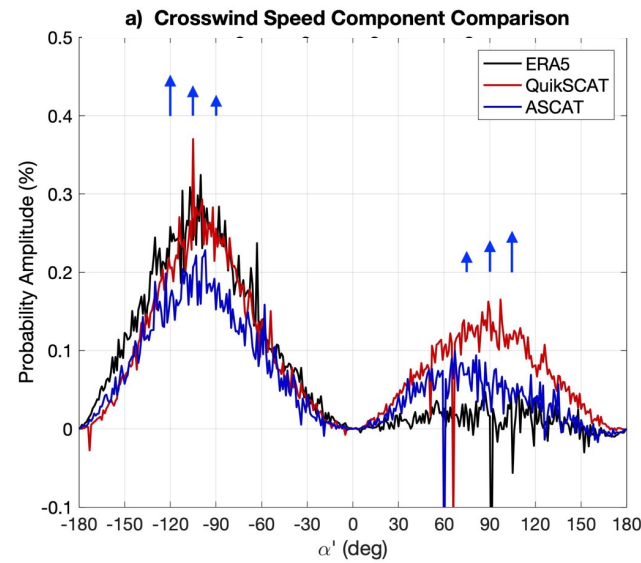
- Good derivative field correlation in most of the Pacific Ocean
- What components differ in the α' PDFs?



DJF 2008
 Lat: 5°S to 15°S
 Long: 80°E to 90°E

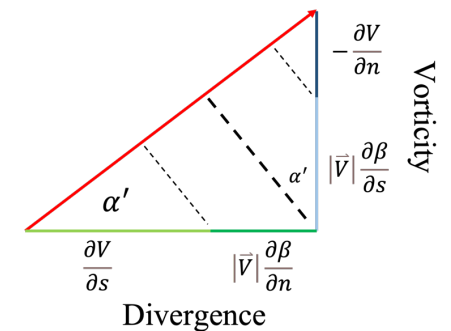
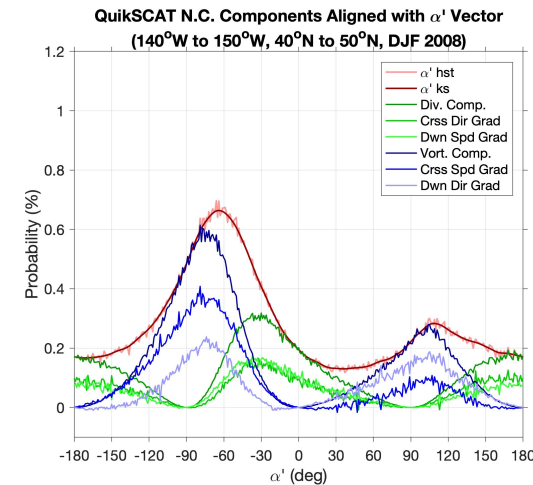
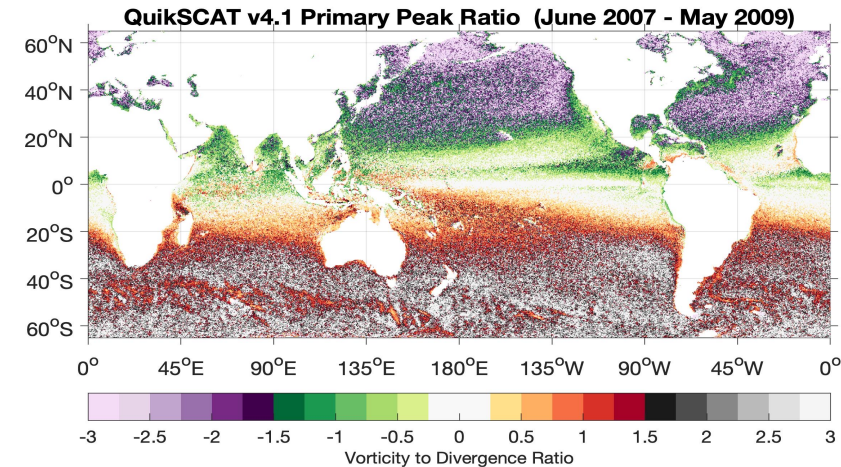


- Poor derivative field correlation in the Indian Ocean



Summary

- Divergence and vorticity are highly correlated. This new result shows strong latitudinal structure
- Steady-state Ekman dynamics can explain much of the divergence and vorticity co-variability through the α' metric
- Utilize the α' metric and natural coordinates to determine the composition of the derivative wind fields



Thank You

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