Buoyancy Parameterization in Stress Generation

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Stress is turbulence generated by wind shear and buoyance (density gradient). **Over a control of the second second** even without temperature gradient there is always humidity gradient. **To get equivalent neutral wind or stress** from wind, stability effect is needed. **Buoyance-induced bias may be** small, but strong variations exist. Stability effect was formulated 4 decades ago in land experiments; its geographical and seasonal validity over ocean has not been challenged.

$$\tau = \rho C_D (U - U_S)^2$$

$$\frac{U - U_s}{U_*} = 2.5(\ln \frac{z}{z_0} - \psi_U) = \frac{1}{\sqrt{C_D}}$$

$$H = \rho c_P C_H (T - T_s) (U - U_s)$$

$$\frac{T - T_s}{T_*} = 2.5(\ln \frac{Z}{Z_T} - \psi_T) = \frac{\sqrt{C_D}}{C_H}$$

$$E = \rho C_{E} (Q - Q_{s})(U - U_{s})$$
$$U_{*} = \sqrt{\frac{\tau}{\rho}}$$
$$T_{*} = -\frac{H}{\rho U_{*}}$$
$$Q_{*} = -\frac{E}{\rho U_{*}}$$

$$\frac{Q-Q_s}{Q_*} = 2.5(\ln\frac{Z}{Z_Q} - \psi_Q) = \frac{\sqrt{C_D}}{C_E}$$

$$Z_o = 0.11 \frac{v}{U_*} + 0.011 \frac{U_*^2}{g}$$

ENW is higher than actual wind under unstable condition







Similarity Theory Buckingham theorem

Obukhov (1946)

$$\frac{kz}{u^*} \frac{du}{dz} = \phi(\frac{z}{L})$$
$$L = -\frac{u^3_* c\rho T}{kgH}$$
$$\phi = (-\gamma \frac{z}{L})^{-\frac{1}{4}}$$

Businger & Dyer model based on Kansas & Kerang experiments





Collocation of ENW magnitude with SST is inherent in the definition of ENW and turbulent mixing theory. (Liu et al. 2007, JC)

Observation from satellite

Kuroshio



Computed from uniform wind field at 10m



Liu et al. 2008, JO

















- Our knowledge on stress came from wind through turbulence parameterization in the past
- Scatterpmeters provide the first and only maps of ocean surface stress
- The data generate new perspective of turbulence productions and its relation with mesoscale convection
- •New bulk parameterization of stress may be needed

Backup